

## Performance study of shortened end-fed antenna

### 1. Introduction

Consider the performance of a shortened end-fed (EF) antenna for a half-wave ( $\lambda / 2$ ) full-size EF antenna

To. In consideration, the following assumptions are made.

- a. Antenna performance (radioactivity performance) can be regarded as the total area of the current distribution of the antenna wire.
- b. The current distribution of the antenna wire of the EF antenna can be expressed by  $I(x) = I_{\max} \sin(2\pi x / \lambda)$ .

### 2. Calculation of current distribution area

As assumed in Section 1, the current distribution of the antenna,

$$I(x) = I_{\max} \sin(2\pi x / \lambda)$$

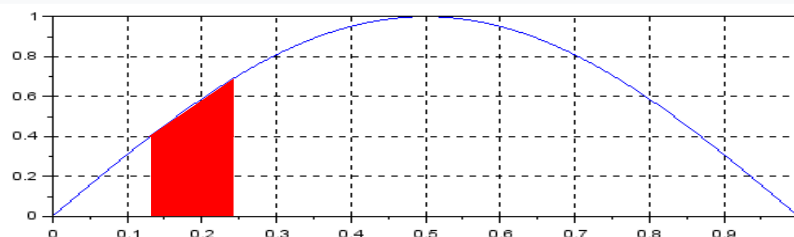
far.

Integrating along x (antenna wire),

$$\begin{aligned} S &= \int I(x) dx \\ &= \int I_{\max} \sin(2\pi x / \lambda) dx \\ &= -I_{\max} \lambda / (2\pi) \cdot [\cos(2\pi x / \lambda)] + (\text{constant of integration}) \end{aligned}$$

The definite integral between a and b is

$$\begin{aligned} S(a-b) &= -I_{\max} \lambda / (2\pi) \cdot \{\cos(2\pi b / \lambda) - \cos(2\pi a / \lambda)\} \\ &= I_{\max} \lambda / (2\pi) \cdot Cab \end{aligned}$$

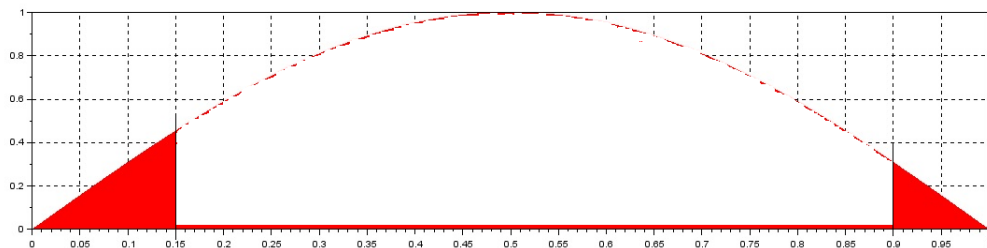


### 3. Calculation example of each antenna wire

(1) 5m long antenna wire for 7MHz (wht01)

- Wavelength  $\lambda = 40\text{m}$ , inner wire 3.0m, outer wire 2.0m

$$\begin{aligned} S(0-3) + S(18-20) &= -I_{\text{max}20} / \pi \cdot [\{\cos(2\pi \cdot 3/40) - \cos(0)\} \\ &\quad - \{\cos(2\pi \cdot 20/40) - \cos(2\pi \cdot 18/40)\}] \\ &= 0.158 \end{aligned}$$



(2) 4.3m long antenna wire for 7MHz (wht02)

- Wavelength  $\lambda = 40\text{m}$ , inner wire 3.0m, outer wire 1.3m

$$\begin{aligned} S(0-3) + S(18.7-20) &= -I_{\text{max}20} / \pi \cdot [\{\cos(2\pi \cdot 3/40) - \cos(0)\} \\ &\quad - \{\cos(2\pi \cdot 20/40) - \cos(2\pi \cdot 18.7/40)\}] \\ &= 0.130 \end{aligned}$$

(3) 3.3m long antenna wire for 10MHz (wht10)

- Wavelength  $\lambda = 30\text{m}$ , inner wire 3.0m, outer wire 0.3m

$$\begin{aligned} S(0-3) + S(14.7-15) &= -I_{\text{max}15} / \pi \cdot [\{\cos(2\pi \cdot 3/30) - \cos(0)\} \\ &\quad - \{\cos(2\pi \cdot 15/30) - \cos(2\pi \cdot 14.7/30)\}] \\ &= 0.193 \end{aligned}$$

(4) 8.6m long antenna wire for 7 / 21MHz (red01)

- 7MHz: Wavelength  $\lambda = 40\text{m}$ , inner wire 6.5m, outer wire 2.1m

$$\begin{aligned} S(0-6.5) + S(17.9-20) &= -I_{\text{max}20} / \pi \cdot [\{\cos(2\pi \cdot 6.5/40) - \cos(0)\} \\ &\quad - \{\cos(2\pi \cdot 20/40) - \cos(2\pi \cdot 17.9/40)\}] \\ &= 0.531 \end{aligned}$$

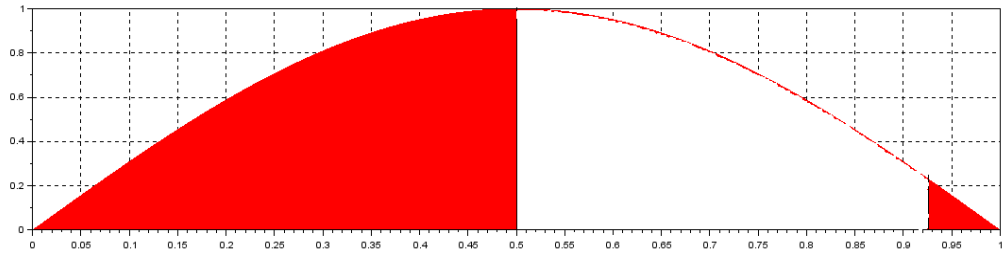
- 21MHz: Wavelength  $\lambda = 7\text{m}$ , inner wire 6.5m

$$S(0-6.5) = -I_{\text{max}7} / \pi \cdot [\{\cos(2\pi \cdot 6.5/7) - \cos(0)\}] = 2$$

(5) 11.5m long antenna wire for 7/14 / (28) (blk01)

• 7MHz: Wavelength  $\lambda = 40\text{m}$ , inner wire 10.0m, outer wire 1.5m

$$S(0-10.0) + S(18.5-20) = -I_{\text{max}20} / \pi \cdot [\{\cos(2\pi \cdot 10.0 / 40) - \cos(0)\} - \{\cos(2\pi \cdot 20.0/40) - \cos(2\pi \cdot 18.5 / 40)\}] = 1.030$$



• 14MHz: Wavelength  $\lambda = 20\text{m}$ , inner wire 10.0m

$$S(0-10.0) = -I_{\text{max}10} / \pi \cdot [\{\cos(2\pi \cdot 10.0 / 10) - \cos(0)\}] = 2$$

• 28MHz: Wavelength  $\lambda = 10\text{m}$ , inner wire 10.0m

$$S(0-10.0) = -I_{\text{max}5} / \pi \cdot [\{\cos(2\pi \cdot 10.0 / 10) - \cos(0)\}] = 4$$

No	Antenna wire	f [MHz]	$\lambda/2$ [m]	Inner Wire [m / $\lambda$ ]	Outer Wire [m / $\lambda$ ]	Current distribution area $C_a^*$	Current distribution area of Full-size Ant. $C_f$	Antenna performance [dBd]※
1	wht01	7	20	3.0 / 0.15 $\lambda$	2.0 / 0.100 $\lambda$	0.158	2	-11.0dB
2	wht02	7	20	3.0 / 0.15 $\lambda$	1.3 / 0.065 $\lambda$	0.130	2	-11.9dB
3	wht10	10	15	3.0 / 0.20 $\lambda$	0.3 / 0.020 $\lambda$	0.193	2	-10.2dB
4	red01	7	20	6.5 / 0.325 $\lambda$	2.1 / 0.105 $\lambda$	0.531	2	-5.8dB
5		21	7	6.5 / 0.93 $\lambda$	—	2.000	2	-0.1dB
6		7	20	10.0 / 0.50 $\lambda$	1.5 / 0.075 $\lambda$	1.030	2	-2.9dB
7	blk01	14	10	10.0 / 1.00 $\lambda$	—	2.000	2	0dB
8		28	5	10.0 / 2.00 $\lambda$	—	4.000	2	3.0dB

#### 4. Further consideration

Antenna power when 7MHz ( $\lambda = 40\text{m}$ ) is placed on a 5m antenna wire (loading coil at the base) Calculate the flow.

$$\begin{aligned} S_{05} &= S(0-5) = \int I_{\text{max}} \sin(2\pi x / \lambda) dx \\ &= -I_{\text{max}} \lambda / (2\pi) \cdot \{\cos(2\pi 5 / 40) - \cos(2\pi 0 / 40)\} \\ &= -I_{\text{max}} \lambda / (2\pi) \cdot \{\cos(\pi / 4) - \cos(0)\} \\ &= I_{\text{max}} \lambda / (2\pi) \cdot 0.293 \end{aligned}$$

$$\text{Gain} = 10 \log(0.293 / 2) = -8.34 \text{ [dBd]} \text{ (dBd: dipole ratio)}$$

Therefore, the gain reduction is smaller than inserting a loading coil in the middle between 3m and 2m.

From the above, unlike the  $\lambda / 4$  GP, the EF antenna has the loading coil closer to the root than the middle (trial and error is required). It seems that the gain can be obtained higher by putting it in (Kana). However, because it is inserted in the part where the current is small, it is a carp. It seems necessary to increase the number of turns.

#### Appendix

For the time being, it is a Scilab program for calculation. (If you calculate with a calculator, you may make a typo, so hi)

```
0001 // Antenna Gain calculation 2019.10.31
0002 // input: ram,w1,w2 output: s5,Gain
0003 // Sab=S(a-b)=-Imaxλ/(2π) · {cos(2πb/λ)-cos(2πa/λ)}=Imax λ/(2π) · Cab
0004
0005 clear
0006
0007 ram = 40; //[m] 波長 7MHz:40m, 14MHz:20m, 21MHz:14m, 28MHz:10m
0008 ram2 = ram/2;
0009 w1 = 3; //[m] 内側ワイヤー
0010 w2 = 2; //[m] 外側ワイヤー
0011
0012 c1 = -(cos(2*%pi*w1/ram)-cos(0));
0013 c2 = -(cos(2*%pi*ram2/ram)-cos(2*%pi*(ram2-w2)/ram));
0014 ca = c1+c2;
0015 Gain = 10*log10(ca/2) //[dB] アンテナゲイン
0016
0017 disp(Gain,ca,w2,w1,ram)
```